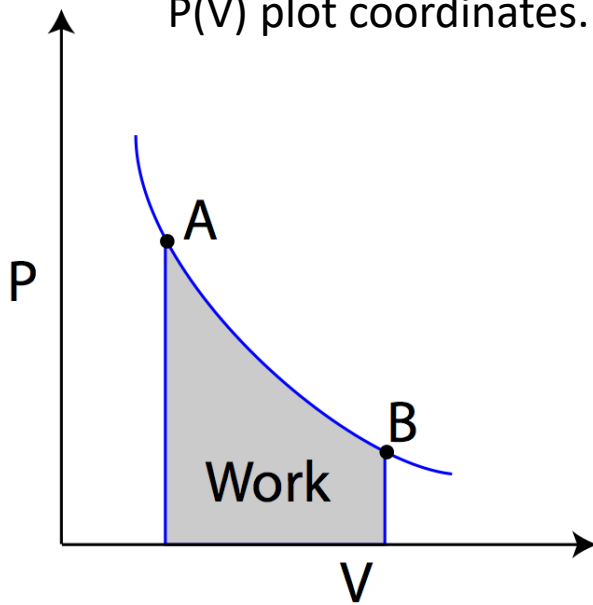


Applying the 1st Law of Thermodynamics to ideal gas

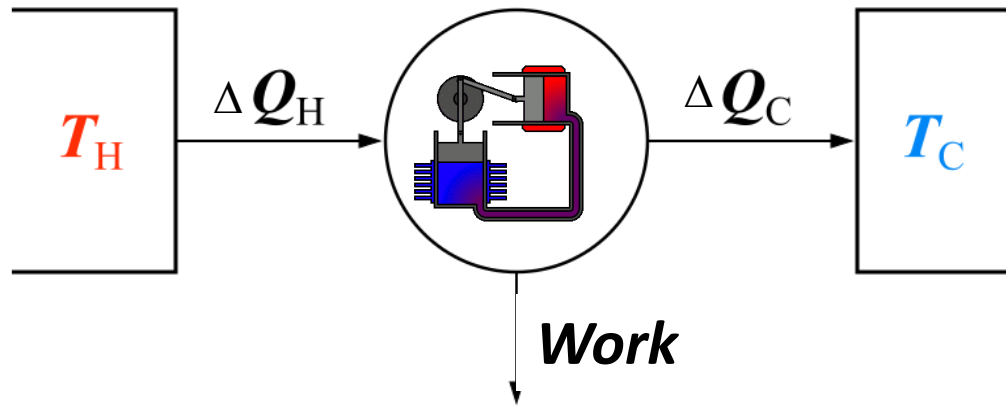
$$\Delta Q = \Delta U + \Delta W = nC_V\Delta T + P\Delta V$$

- ΔQ - total heat adsorbed by gas
- ΔU – change in internal energy, $\Delta U = nC_V\Delta T$. Here C_V is specific heat per mole at constant volume.
- Work done by the gas ΔW can be found as an integral $\int P dV$, or area under $P(V)$ plot coordinates.



Remember the gas law: $PV = nRT$

Efficiency of Heat Engine



Heat Engine has to take heat Q_H from “heater”, and return heat Q_C to a “cooler”.

$$Work = \Delta Q_H - \Delta Q_C$$

Efficiency of a heat engine is $\frac{Work}{Q_H} = \frac{\Delta Q_H - \Delta Q_C}{\Delta Q_H} = 1 - \frac{\Delta Q_C}{\Delta Q_H}$

Homework

Problem 1. A typical midsize car uses about 5 liter of gasoline per 100 km. 1 liter of gasoline produces about 31.5 MJ of heat when burned. Assuming that car runs at 30% efficiency, estimate the mean force with which the engine “propels” the car on the road (of course, technically the force comes from friction).

Problem 2. A heat engine is using 1 mole of gas that undergoes the process shown on PV diagram. Find the change in internal energy, work done by the gas, and total heat adsorbed during each segment (a->b, b->c, and c->d). What is efficiency of this overall process?

Specific heat of the gas at constant volume is $C_V = 20 \text{ J/K/mol}$. Note that $PV=RT$ for $n=1$ mole. Universal gas constant is $R= 8.3 \text{ J/K/mol}$

	$\Delta E, \text{J}$	$\Delta W, \text{J}$	$\Delta Q, \text{J}$
a->b			
b->c			
c->a			

