

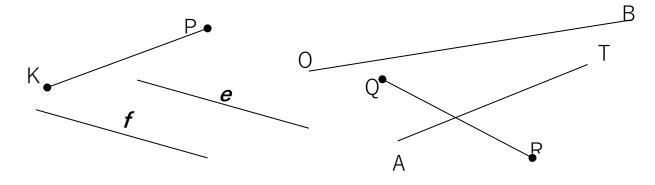
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## Math 2 Homework 5

Find straight lines and line segments. Trace the line segments with your pencil. Do they intersect? Extend the lines using a ruler and mark the intersections points.

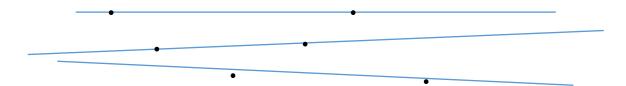
Are there parallel lines? What are their names?



2 Continue pattern – add 4 more rectangles.



- a) How many points are marked on each line?  $\Box$
- b) How many points are marked on all 3 lines?  $\Box$



c) Draw 3 straight lines and place 3 points on each line in such a way that you will get a total 6 points. *Hint:* lines can intersect.

4

Fill in the missed numbers in the brackets:

- a) 643 = ( ) + ( ) + ( )
- b) 300 + 30 + 3 = (
- c) 302 = ( ) + ( ) + ( )
  - d) 900 + 0 + 9 = (

5

Complete the number patterns:

- a) \_\_\_\_\_, \_\_\_\_\_, 20, 25, \_\_\_\_\_, \_\_\_\_\_
- b) 46, 48, \_\_\_\_\_, \_\_\_\_
- c) \_\_\_\_, 123, 223, \_\_\_\_, 423

6

Find the correct time (you may use a real clock to help you):

- a) It is 2:30 pm now. In one hour, it will be \_\_\_\_\_
- b) It is 2:30 pm now. In 10 minutes, it will be \_\_\_\_\_
- c) It is 2:30 pm now. Two hours ago, it was \_\_\_\_\_

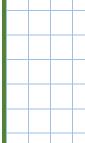
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Calculate writing each problem in the columns (Don't forget to write ones under ones, etc.)

a) 
$$324 + 81 + 4 =$$

b) 
$$402 + 109 + 30 =$$

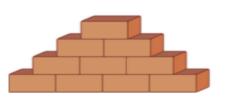
c) 
$$299 + 101 + 55 =$$



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Remember the triangular numbers? Answer the following questions:

- a) How many more bricks are there in the larger stack?
- b) How many bricks should be added if you add one additional layer of the bricks? \_\_\_\_





HW 5

## Intersection of lines. Column addition of 3-digit numbers

9

Fill the missing numbers into the tables.

+	9	5	4
6			
8			
7			

+		5	8
8		13	
			17
12	19		

+	6		
	12		
14		35	
42			72

10

a) Draw a line segment  $\overline{AB}$ .

Draw another line segment  $\overline{CD}$  in a way that the intersection between  $\overline{AB}$  and  $\overline{CD}$  is a point K.

b) Draw a line segment  $\overline{AB}$  again below. Draw another line segment  $\overline{EF}$  in a way that the intersection between  $\overline{AB}$  and  $\overline{EF}$  is a line segment  $\overline{EB}$ .