

$$\text{Rate} = \frac{-1}{a}(\Delta A/\Delta t) = \frac{-1}{b}(\Delta B/\Delta t)$$

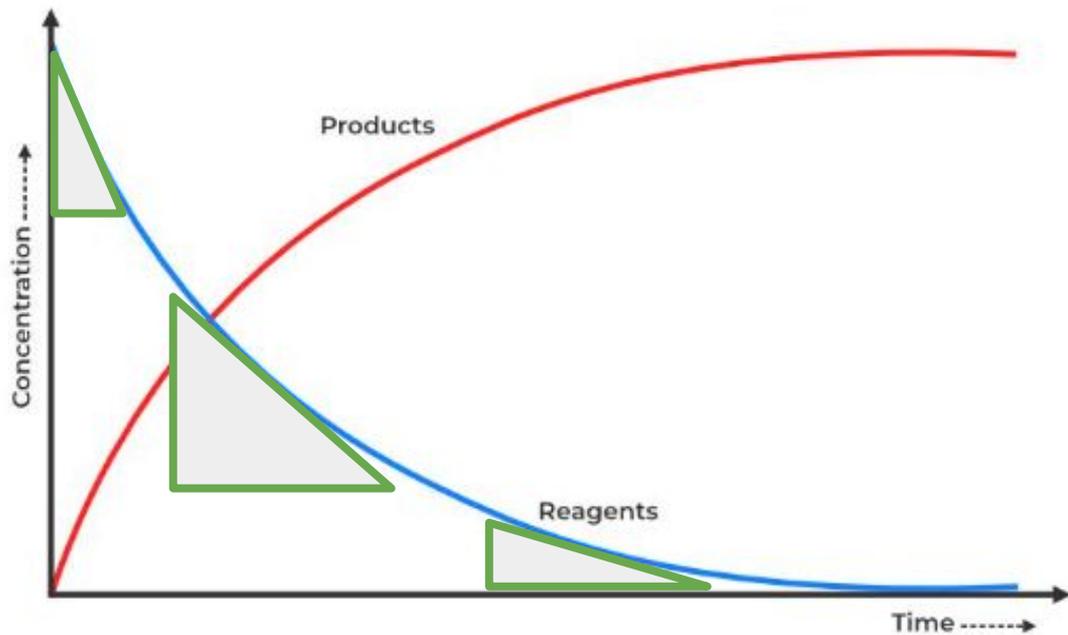
Rates cannot be negative!



$$\text{Rate} = \frac{-1}{1}(\Delta A/\Delta t) = \frac{-1}{1}(\Delta B/\Delta t)$$



$$\text{Rate} = \frac{-1}{2}(\Delta A/\Delta t) = \frac{-1}{3}(\Delta B/\Delta t)$$



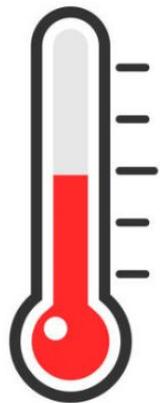
- To find the rate at a given time, we need to find the slope
- Slope is tangential to the curve

Chemistry

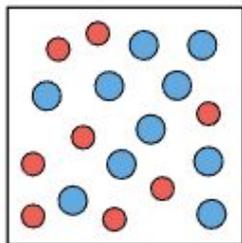
# REACTION RATES



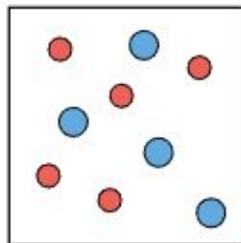
What affects the rate?



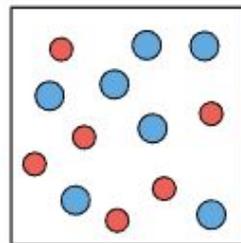
temperature



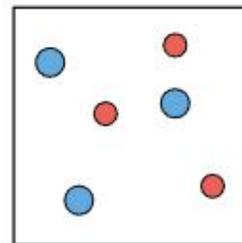
(A)



(B)

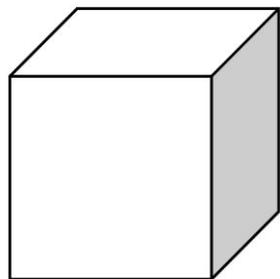


(C)

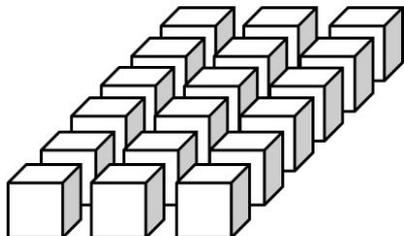


(D)

concentration



Large Chunks

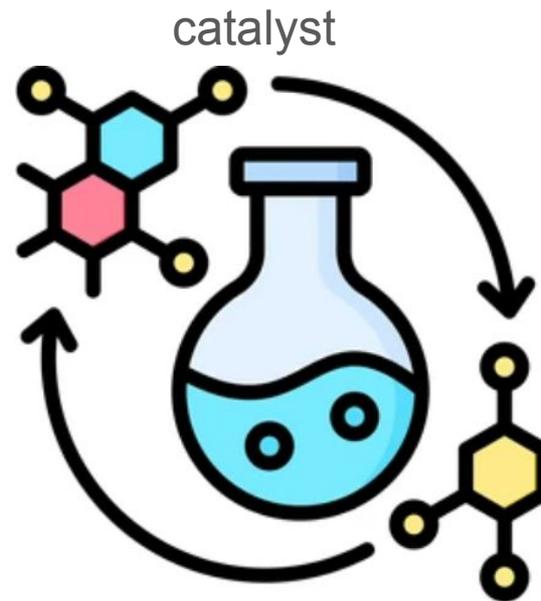


Small Chunks



Powder

surface area



catalyst

# Rate Equations

Rates are always measured  
in M/s or mol/(L·s)

for  $A + B \rightarrow C$   
Rate =  $[A][B]$   
M/s = M·M (?)

→ rate constant units  
are flexible and adjust  
for differences

Rate =  $k[A][B]$   
where  $k$  has units of  $1/(M \cdot s)$  or  
 $L/(mol \cdot s)$   
so that:  
 $M/s = M \cdot M \cdot 1/(M \cdot s)$

## Rate Constant (k)

- Experimentally determined
- Adjusts rate equations so that concentration and rate are proportional
- Large rate constant means a faster reaction
- Small rate constant means a slower reaction
- Temperature dependent
  - Due to Arrhenius equation (relates activation energy to reaction rate; don't worry about it now)

Experiment #	[A] (M)	[B] (M)	initial rate (M/s)
1	1	2	$3 \times 10^{-3}$
2	2	2	$6 \times 10^{-3}$
3	1	4	$1.2 \times 10^{-2}$

Example of experimental data

- Double concentration of A results in doubled rate
- What about B?

→ Next week: orders of reactions