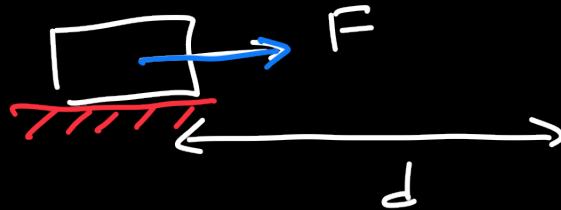


Homework 17

Recap:

Work:



$$W = F \cdot d (\pm)$$

$$\Delta E_{\text{kin}} = W_{\text{all forces}}$$

$$\Delta E_{\text{mech.}} = W_{\text{except grav.}}$$

①
$$\Delta E_{\text{mech.}} = \Delta E_{\text{kin}} + \Delta E_{\text{pot.}}$$

$$\Delta E_{\text{kin}} = W_{\text{all forces.}}$$

$$\Delta E_{\text{pot}} = -W_{\text{grav.}}$$

$$\Delta E_{\text{mech.}} = W_{\text{all forces}} - W_{\text{grav.}}$$

$$= W_{\text{except grav.}}$$

HW 17.

$$\underline{4.} \quad W_{fr.} = \Delta E_{kin} = 0 - \frac{Mv^2}{2}$$

$$v = 72 \frac{\text{km}}{\text{h}} = 72 \frac{10^3 \text{ m}}{60 \cdot 60 \text{ s}} = -200 \text{ km/s}$$

$$v = 72 \frac{\text{km}}{\text{h}} = \frac{72}{3.6} \frac{\text{m}}{\text{s}} = 20 \text{ m/s}$$

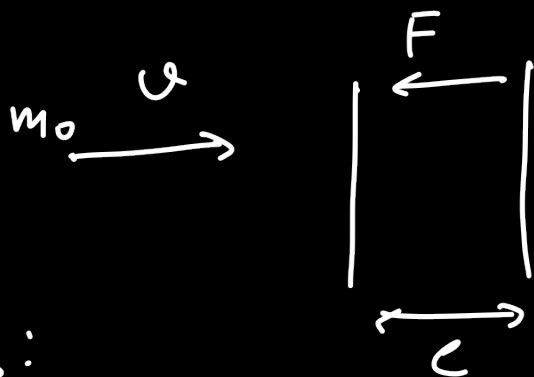
$$W_{fr} = - \underbrace{d \cdot F_{fr.}}; \quad F_{fr} = \mu \cdot N = \mu \cdot m \cdot g$$

$$F_{fr.} = 4 \cdot 10^3 \text{ N}$$

$$\Rightarrow d = - \frac{W_{fr}}{F_{fr.}} = \frac{200 \cdot 10^3 \text{ J}}{4 \cdot 10^3 \text{ N}}$$

$$\frac{\text{J}}{\text{N}} = \frac{\text{N} \cdot \text{m}}{\text{N}} = \text{m} \Rightarrow \boxed{d = 50 \text{ m}}$$

5*



for m_0 :

$$\Delta E_{kin} = -F \cdot l$$

$$0 - \frac{m_0 v^2}{2} = -F \cdot l$$

$$m_0 = \frac{-2Fl}{v^2}$$

$$m_0 = ?$$

David:

$$l = \frac{1}{2} v \cdot t$$

$$t = \frac{2e}{g}$$

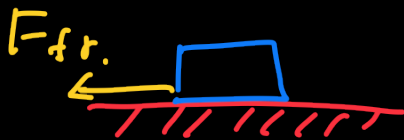
$$m_0 = \frac{2e \cdot F}{v^2}$$

$$|d| = l$$

Thermal energy and temperature.

Mechanical energy: $KE + PE$

It can change if the force is applied.



KE is decreasing
due to $W_{fr.}$

⇒ Mech. energy also ↓
in a closed system!

But! total energy of a closed system
is never lost or gained!

It can only change forms.

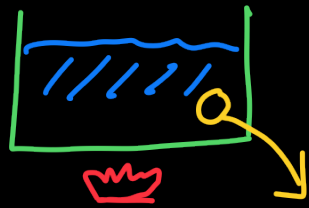
In this case → some kinetic
energy of an object turned into

Thermal energy

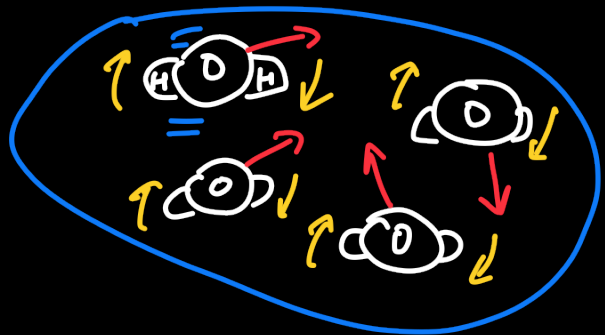
Thermal energy ↔ Temperature

Temperature is the measure of thermal energy.

Example: boiling pot of water.



Thermal energy



Thermal energy is the sum of all KE of all molecules.

All types of KE:

1. Translational
2. Rotational
3. Vibrations.

most important in gases.

When do we feel that an obj.
has higher temp?

→ when molecules and atoms
"move faster" (higher KE)

⇒ How exactly is temp. related
to kinetic energy?

$$T \sim KE_{avg.}$$

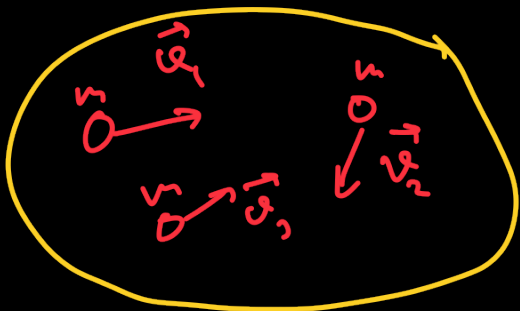
it measures
the average
KE

Ex. small volume of gas.

→ it has N identical molecules.

$$T \sim KE_{avg} = \frac{KE_1 + KE_2 + \dots + KE_N}{N}$$

$$KE_1 = \frac{m v_1^2}{2}, \quad KE_2 = \frac{m v_2^2}{2}$$



Temp. scales

	<u>Fahrenheit</u>	<u>Celsius</u>
Boiling water	212° F	100° C
Freezing water	32° F	0° C

Conversion formula:

$$t_F = 32 + \frac{9}{5} t_C \quad \checkmark$$

KE is always positive, but temp. in t_F , t_C can be negative!

Thus, we need an absolute temp. scale, where $T=0$ corresponds to $\boxed{KE=0}$

This is Kelvin scale

$$T_K = 0$$

absolute zero temp.
it corresponds to

$$KE_{avg.} = 0$$

$$T_K = t_c + 273.15$$

$$T_K = 0 \rightarrow t_c = -273.15^\circ\text{C}$$

For most gases:

$$KE_{avg} = \frac{3}{2} k T$$

$$k = 1.38 \cdot 10^{-23} \text{ J/K}$$

Boltzmann
constant.

