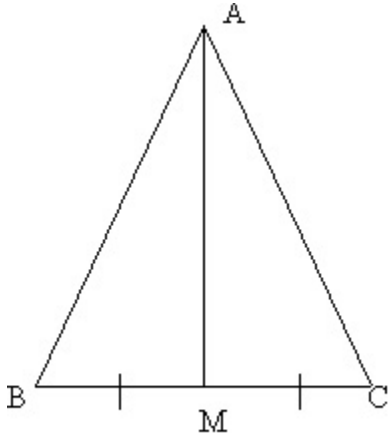


**MATH 5: CLASSWORK 18,**

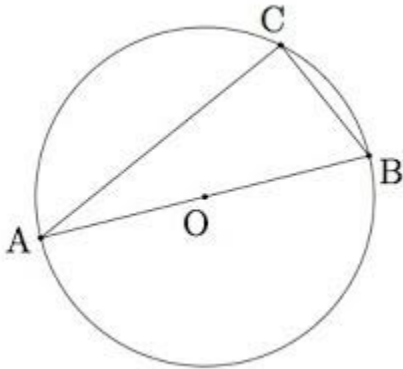
**March 9, 2025**



Recall that the triangle  $\triangle ABC$  is called isosceles if  $AB = BC$ .

Theorems:

1. In an isosceles triangle, base angles are equal:  $\angle A = \angle C$ .
2. In an isosceles triangle, let M be the midpoint of the base AC. Then line BM is also the bisector of angle B and the altitude: BM is perpendicular to AC.



$\forall \angle ACB$ , where AB is a diameter,

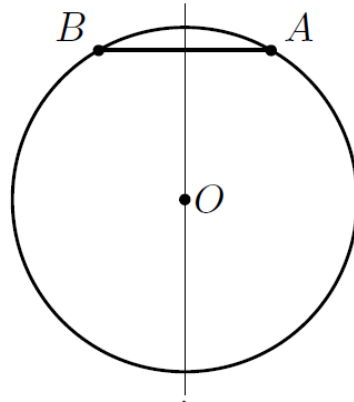
**Theorem:**

$$\angle ACB = 90^\circ$$

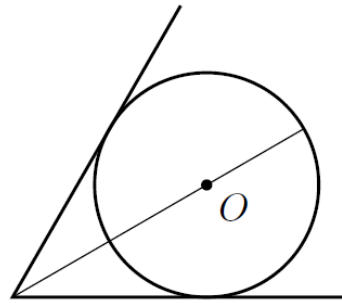
**MATH5: HOMEWORK 17,**

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1. Prove that If two points A, B are on a circle, then the center of this circle lies on perpendicular bisector to AB (i.e., a line that goes through the midpoint of AB and is perpendicular to AB).



2. Given an angle AOB, construct the angle bisector (i.e., a ray OM such that  $\angle AOM = \angle BOM$ )



3. Construct an isosceles triangle, given a base  $b=8$  and altitude  $h=7$ .
4. Construct a right triangle, given a hypotenuse  $h=5$  and one of the legs  $a=4$ .
5. Open parenthesis, simplify:

a.  $(x - a)(x + a) = x(x + a) - a(x + a) =$

b.  $(a + b)(a + b) =$

c.  $(a - b)(a - b) =$

6. Simplify

a)  $\frac{55^4}{11^2 \cdot 5^2 \cdot 5^3} =$

b)  $\frac{6^5 \cdot 2^4}{3^5 \cdot 2^{12}} =$

c)  $\frac{x^3 \cdot y^{-2} \cdot x^{-3}}{x^2} =$