



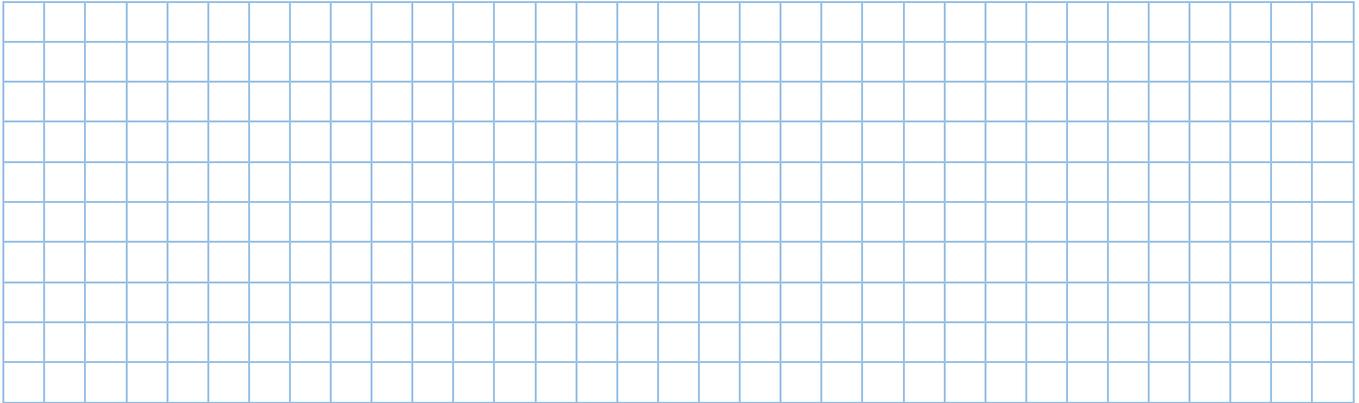
Solve the following equations using an inverse operation.

4

a)  $2x + 14 = 24$

b)  $x \div 8 + 25 = 35$

c)  $2z - 1\frac{1}{4} = 3$



5.

Collect the like items to simplify the following algebraic expressions:

$12a + 12b + 7b - 7a + 100 = \underline{\hspace{10cm}}$

$25 + z + b + 5z + 11b - 13 = \underline{\hspace{10cm}}$

6.

Open parenthesis and simplify the expressions:

$5(20 - w) - 10(w + v) = \underline{\hspace{10cm}}$

$4(d + 8) - 3(7 - d) = \underline{\hspace{10cm}}$

$3(20 + z) - (7 - a + 3) = \underline{\hspace{10cm}}$

7

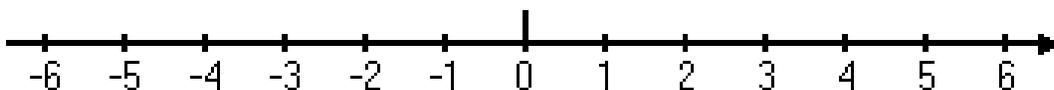
Calculate, use number line if needed (remember, when you should move to the right and when to the left):

a)  $(-4) + (-3) + (-2) = \underline{\hspace{2cm}}$

b)  $4 - 3 - (-2) = \underline{\hspace{2cm}}$

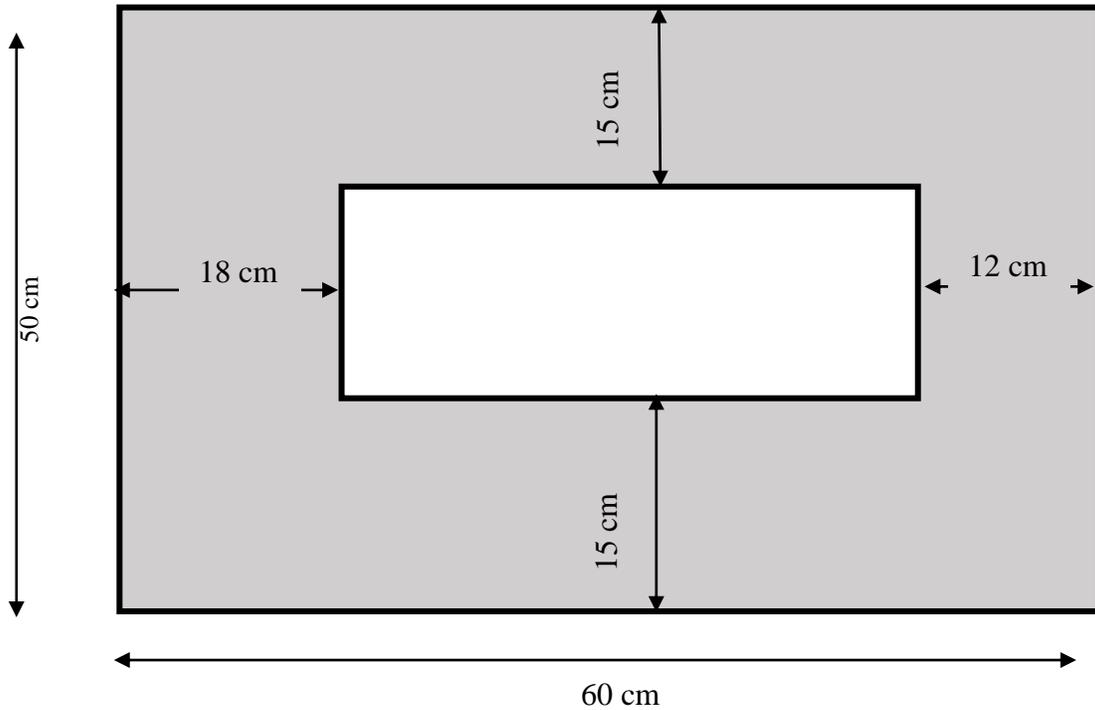
c)  $(-6) + 6 + (-3) + 3 + (-2) + 3 = \underline{\hspace{2cm}}$

d)  $2 + 4 - 4 + 5 - 2 - 5 - 10 = \underline{\hspace{2cm}}$



8.

Find the area of the shaded shape.



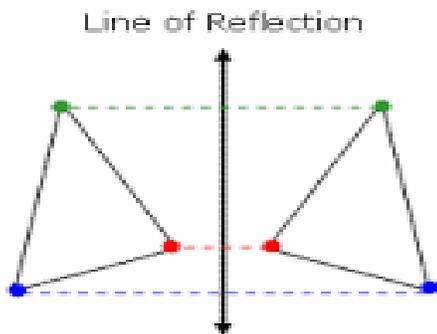
A = \_\_\_\_\_

A = \_\_\_\_\_

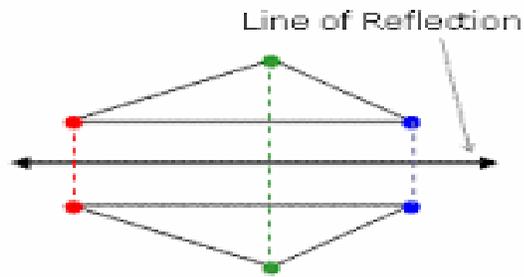
9 The reflection of the point  $(x,y)$  across the  $x$ -axis is the point  $(x,-y)$ .

The reflection of the point  $(x,y)$  across the  $y$ -axis is the point  $(-x,y)$ .

Notice that each original point and its image are the same distance away from the line of reflection. You may be able to simply "count" these distances on the grid.



Horizontal Reflection  
(flips across)



Vertical Reflection  
(flips up/down)

10

a) Find the coordinates of each vertex of triangle LKM

L ( , )    K ( , )    M ( , )

b) Reflect this triangle horizontally (flip across y-axis) to get a triangle L'K'M'

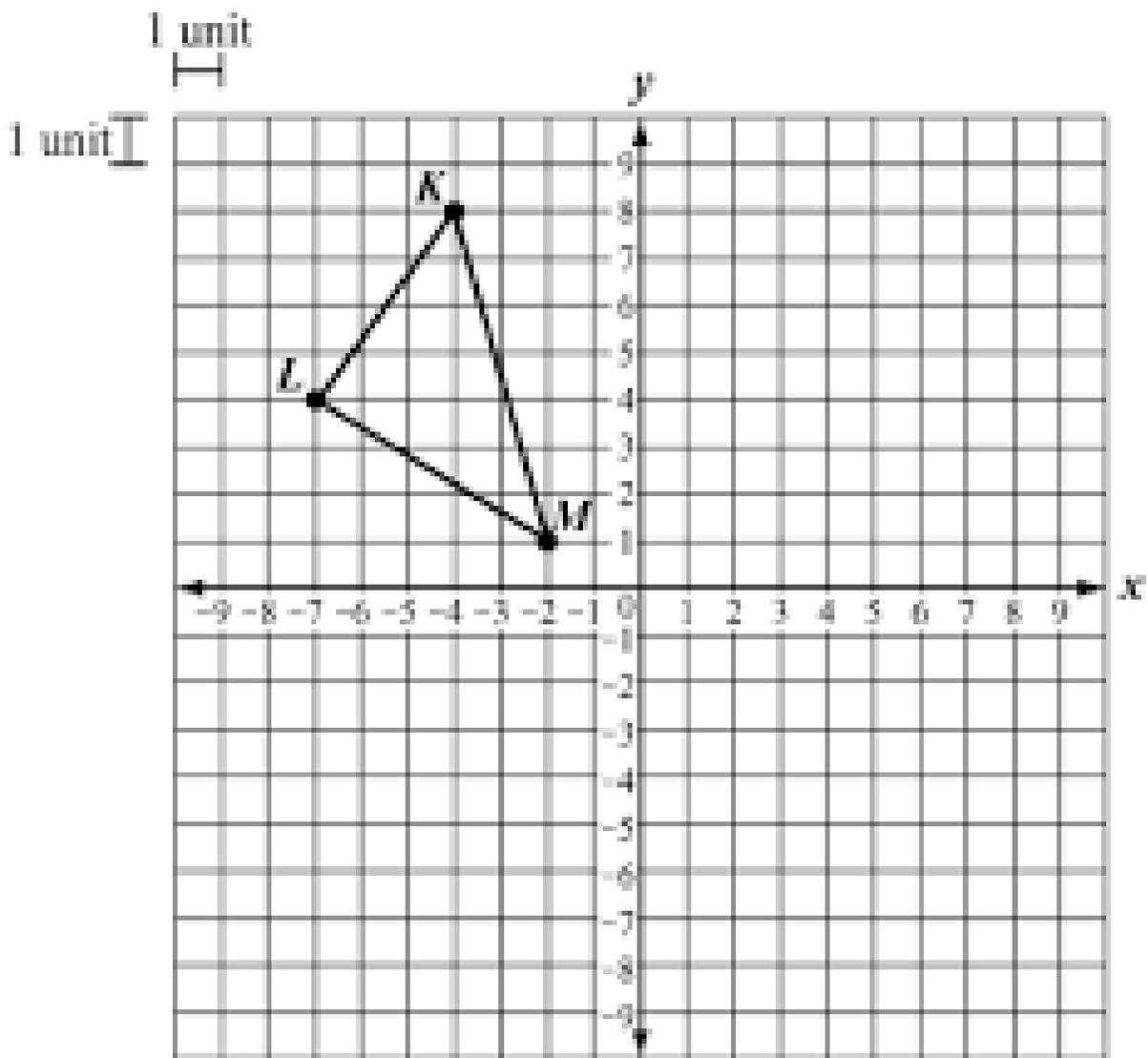
Find the coordinates of each vertex:

L' ( , )    K' ( , )    M' ( , )

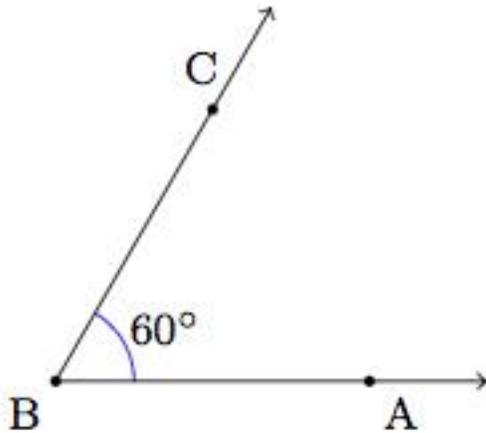
c) Reflect this triangle vertically (flip across x-axis) to get a triangle L''K''M''

Find the coordinates of each vertex:

L'' ( , )    K'' ( , )    M'' ( , )



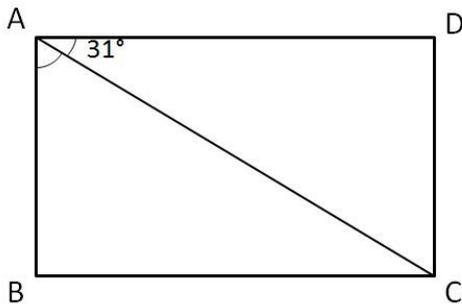
10 An angle below measures  $60^\circ$  degrees:



a) Draw another angle that measures  $25^\circ$  degrees. It should have the same vertex and share side  $BA$ .

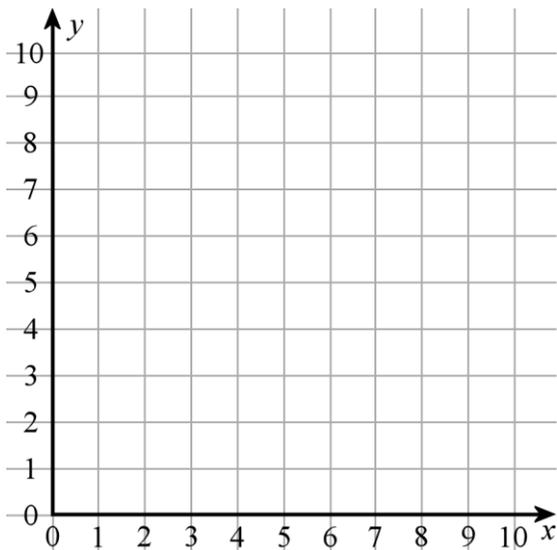
b) How many angles are there in the figure you drew? What are their measures?

11 a) In the figure,  $ABCD$  is a rectangle and  $\angle CAD=31^\circ$ . Find  $\angle BAC$ .



$\angle BAC =$  \_\_\_\_\_

b) Use a compass.



- 1) Draw a circle with center point  $(5, 6)$  and a radius of 3 units.
- 2) Draw another circle with the same center point but double the radius.
- 3) How many common points your second circle has with x-axis? \_\_\_\_\_
- 4) How many common points your second circle has with y-axis? \_\_\_\_\_

