

MATH 6 HOMEWORK 25

May, 8 2022

Review, please review the handouts of the past lessons, if needed, topics are listed on SchoolNova.org

- For arithmetic sequences:
 - $a_{10} = 131$ and $d = 12$. What is a_1 ?
 - $a_5 = 27$ and $a_{27} = 60$. Find the first term and the common difference.
 - $11 + 12 + 13 + \dots + 101 =$
- You throw a coin 5 times. What is the probability to get TTHTT? HHHTT?
- How many ways are there to draw 3 cards from a 52-card deck? (Order matters: drawing first king of spades, then queen of hearts is different from drawing them in opposite order).
 - How many ways are there to draw 3 cards from a 52-card deck if after each drawing we record the card we got, then return the card to the deck and reshuffle the deck? (As before, order matters.)
 - We draw 3 cards from a 52-card deck, and after each drawing we record the card we got, then return the card to the deck and reshuffle the deck. What is the probability that all 3 drawn cards are different?
- Probability to hit a duck is $\frac{1}{3}$. Probability to miss a duck is $\frac{2}{3}$. The hunter fires 5 shots. What is probability that he
 - Misses all?
 - Hits at least once?
 - 1 hit and 4 misses?
- You meet two inhabitants: Marge and Zoey. Marge says, 'Zoey and I are both knights or both knaves.' Zoey claims, 'Marge and I are the same.' Can you determine who is a knight and who is a knave?
- You meet two inhabitants: Ted and Zeke. Ted claims, 'Zeke could say that I am a knave.' Zeke claims that it's not the case that Ted is a knave.
- On the island of Knights and Knaves, you meet three inhabitants: Bozo, Carl and Joe. Bozo says that Carl is a knave. Carl tells you, 'Of Joe and I, exactly one is a knight.' Joe claims, 'Bozo and I are different.
- (Optional, we solved it in class, see notes)* Alice, Brian, and Charlie are from the island of knights and knaves. Alice claims, "Charlie could tell you that I am a knight." Brian says, "Either Alice is a knave, or I am a knight." Charlie says that the others are either both knaves or both knights. What are Alice, Brian, and Charlie?
- Recall "if A then B" logic, look at the handouts from that class. Remember that if **A is False, A->B is a true** statement. "If the sky is green then $2+2=5$ " is a true statement. Write the truth table for A->B and give your own example of A->B statement.