

**Solve equations by substitution:**

Example:  $(y + 5) \div 3 = 7$

substitution:  $y + 5 = z$

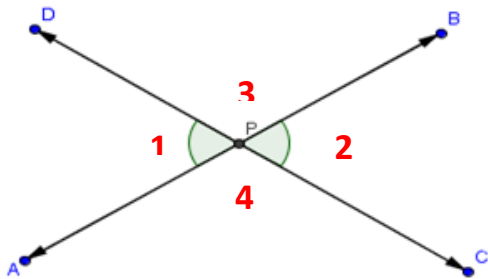
$z \div 3 = 7$

$z = 7 \times 3 = 21$

$y + 5 = 21$

$y = 21 - 5 = 16$     Check:  $(16 + 5) \div 3 = 7$

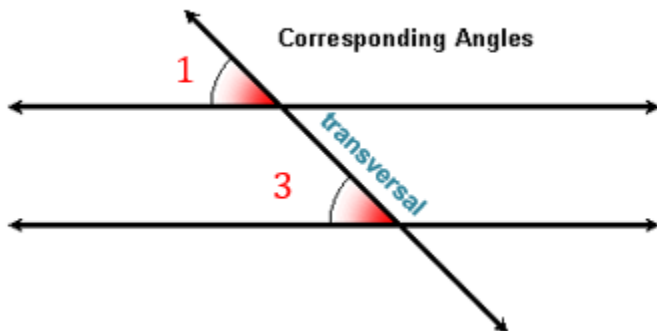
**Geometry**



Remember vertical angles?

$$\angle 1 = \angle 3$$

$$\angle 2 = \angle 4$$

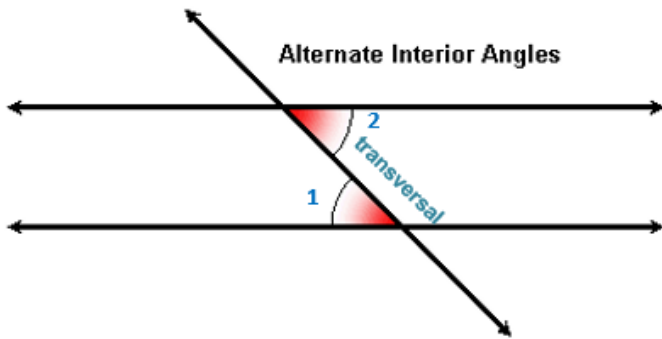


- A **transversal** is a **line** that passes through two **lines** in the same plane at two distinct points.

- The angles in matching corners are called **Corresponding Angles**.

- When the lines are parallel, the **Corresponding Angles** are equal

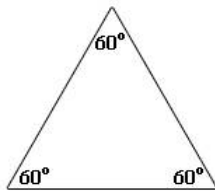
$$\angle 1 = \angle 3$$



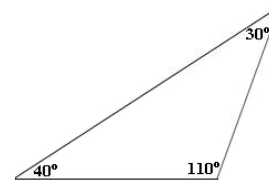
- The **angles** that are formed on opposite sides of the transversal and inside the two lines are **Alternate Interior Angles**.
- When the lines are parallel, the **Alternate Interior Angles** are equal.

$$\angle 1 = \angle 2$$

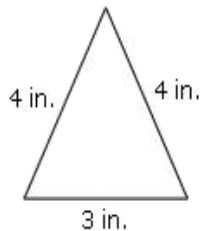
### Triangles:



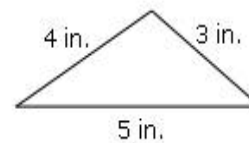
**Acute** triangle has all acute angles, not only  $60^\circ$



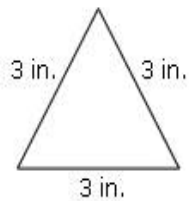
**Obtuse** triangle has an obtuse angle.



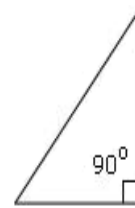
**Isosceles** triangle has two equal sides



**Scalene** triangle that has three unequal sides



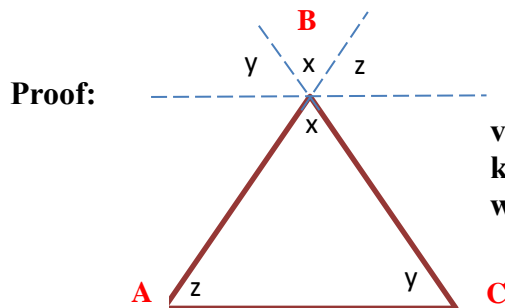
**Equilateral** triangle has three equal sides



**Right** triangle has a right angle.

**Triangle properties:**

Sum of interior angles of any triangle ( $\forall \Delta$ ) is  $180^\circ$ .  
 $\angle x + \angle y + \angle z = 180^\circ$



We prove it by using our knowledge of vertical angles and corresponding angles and the knowledge that a straight line is a straight angle which is  $180^\circ$

In any triangle ( $\forall \Delta$ ) the sum of 2 sides is always greater than the third.  
 $(\forall \Delta ABC, AB + BC > AC)$

In **any** triangle,

- the **largest** interior **angle** is **opposite** the **largest side**.
- the **smallest** interior **angle** is **opposite** the **smallest side**
- the middle-sized interior angle is **opposite** the middle-sized side