## Perpetual motion

• <u>First kind:</u> Motion with no energy source. Impossible because of energy conservation (*The First Law of Thermodynamics*).



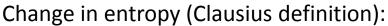
• Second kind: converting the heat of an environment to work.

## NOPE!

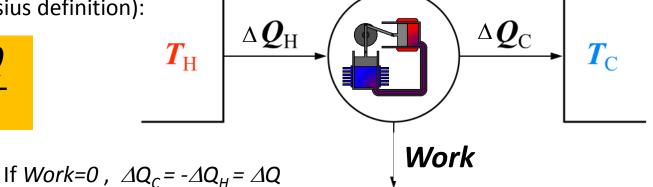
"It is impossible to derive mechanical effect from any portion of matter by cooling it below the temperature of the coldest of the surrounding objects."

Lord Kelvin's version of the Second Law of Thermodynamics

## Second Law of Thermodynamics and Entropy



$$\Delta S = \frac{\Delta Q}{T}$$



$$\Delta S_{total} = \frac{\Delta Q_C}{T_C} - \frac{\Delta Q_H}{T_H} = \Delta Q \left( \frac{1}{T_C} - \frac{1}{T_H} \right) \ge 0$$

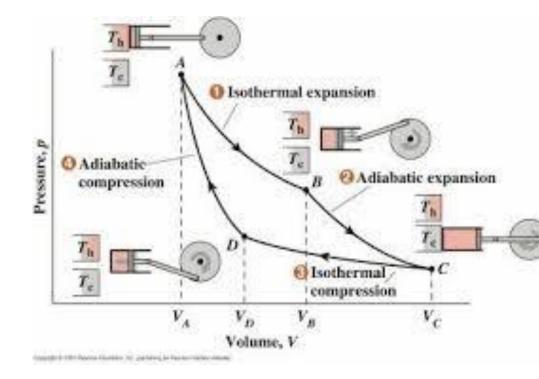
Clausius version of the Second Law:

"In an isolated system, the total entropy cannot decrease over time"

$$\Delta S_{total} = \Delta Q_H \left( \frac{1}{T_C} - \frac{1}{T_H} \right) - \frac{Work}{T_C} \ge 0$$

 $Work \leq \Delta Q_H \left(\frac{T_H - T_C}{T_H}\right)$ , so the maximum efficiency of a heat engine is  $\frac{\Delta T}{T_{max}}$ 

## Homework



In order to achieve the maximum efficiency of a steam engine, the gas would have to follow the so-called Carnot cycle (see its PV diagram above). It consists of two isothermal processes (T=const) ,and to adiabatic ones. Adiabatic process is a fast compression or expansion *without heat exchange*. During the adiabatic process, pressure and temperature are related as  $T = const \cdot P^{1/4}$ . Based on this information, find the maximum efficiency of this steam engine. Assume that during adiabatic compression (process 4) the pressure goes up from 1 atm to the maximum that the engine can hold (16 atm). How your result would change if the maximum pressure is doubled?