		Warm-U	p	
Calculate.				
10 × 2 =	12 × 4	= 15 × 2 =	= 40 × 4	= 3 × 15 =
40 × 2 =	20 × 6	= 15 × 4 =	= 4 × 20	= 5 × 50 =
100 × 2	= 50 × 4	= 10 × 8	$B = 25 \times 25$	$2 = 25 \times 4 =$
30 × 2 =	30 × 8	$s = 25 \times 1$	$10 = 35 \times 2$	$d = 40 \times 6 =$
Compare	xpressions (<, >, =)			
5 3 Find all pa a) 20 b) 30 c) 40 d) 50		10 × 3 15 + 15 • that their product is:	5 × 5 + 5 5 + 1510 × 5 -	· 5
Solve equ	tions and check you			
Solve equ	tions and check you $+ x = 26$	b) $x - 18 = 33$	c) 89 –	a = 71
Solve equ a) 1	tions and check you $x + x = 26$	b) $x - 18 = 33$	c) 89 –	a = 71
Solve equ a) 1	tions and check you $x + x = 26$	b) <i>x</i> – 18 = 33	c) 89 –	a = 71
Solve equ a) 1	tions and check you $x + x = 26$	b) x - 18 = 33	c) 89 –	a = 71



### Lesson 10

5.

#### Types of straight lines. Quadrilateral. Triangles.

Draw the line which is parallel to the line XY and that passes through point A.

1. Use your protractor to draw a line that goes through A and is at  $90^{\circ}$  to AB. Label the point C where your new line touches XY.



2. Measure the perpendicular distance between the point and the line. Write down the length of AC: \_\_\_\_\_

3. Draw a point that is the same distance from the line.

Draw another line that is perpendicular to line XY. Mark off the same length as AC on that line. The sketch below shows what you must get.



4. Draw the parallel line.

Join A with the new point that is an equal distance away from XY. You now have a parallel line.

Lesson 10

#### Quadrilateral

A Quadrilateral has four-sides, it is 2-dimensional (a flat shape), closed (the lines join up), and has straight sides.



### A quadrilateral that has 2 parallel sides is called trapezoid.

What is the difference between the trapezoid II and the quadrilaterals III, IV, V, and VI? How many parallel sides do these quadrilaterals have?

### A quadrilateral that is formed by 2 pairs of the parallel sides is called a parallelogram.

What is the difference between the quadrilateral IV and the parallelogram III? How are the sides related to each other?

### A parallelogram with 4 equal ( or congruent) sides is called rhombus.

Is there a parallelogram that has only 3 congruent (equal) sides? Why or why not? What is the difference between the quadrilaterals V and VI and the other quadrilaterals on the picture?

What kind of angles do they have?



Lesson 10 Types of straight lines. Quadrilateral. Triangles. 6. Choose the correct statement(s) and circle it: a) Any square is a parallelogram. b) Any parallelogram is a square. c) Any rectangle is a parallelogram. d) Any parallelogram is a rectangle. What shape am I? 7. a) four sides; all sides equal; four right angles \_\_\_\_\_ b) four sides; opposite sides equal; four right angles c) four sides; opposite sides parallel; no right angles \_\_\_\_\_ d) four sides; exactly two sides parallel e) four sides; opposite sides equal; no sides perpendicular \_\_\_\_\_ f) four sides; opposite sides parallel; adjacent sides perpendicular \_\_\_\_\_ g) four sides; all sides equal; no sides perpendicular \_\_\_\_\_ h) four sides; no sides parallel; no sides perpendicular \_\_\_\_\_

8.

Quadrilateral is divided in squares. Find a perimeter of a quadrilateral if one side of the shaded square is 8 cm.

P = \_\_\_\_\_







c) The distance between your house and a school's bus stop is *a* meters, the distance between bus stop at school and your class is *b* meters. What is the distance you walk every day on your way to and from school?

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## **Challenge yourself**

a) One penny out of three is fake. It is lighter than the others. How can you identify the fake coin by using a balance scale like the one shown in the picture? You can only weigh once!







b) How can you find one fake penny out of 9 pennies if you can only weigh twice?

# Did you know ...

What's with all the Triangles? They seem to be everywhere. The Triangle has a rich and complex history and has, since early civilizations, been the symbol of the trilogy (or "triad") that makes all existence possible.

Triangles are among the most important objects studied in mathematics owing to the rich mathematical theory built up around them in **Euclidean geometry** and **trigonometry**, and also to their applicability in such areas as astronomy, architecture, engineering, physics, navigation, and surveying.

The origins of right triangle geometry can be traced back to 3000 BC in Ancient Egypt. The Egyptians used special right triangles to survey land by measuring out 3-4-5 right triangles to make right angles. The Egyptians most studied specific examples of right triangles.



Ancient builders and surveyors needed to be able to construct right angles in the field on demand. The method employed by the Egyptians earned them the name "rope pullers" in Greece, apparently because they employed a rope for laying out their construction guidelines. One way that they could have employed a rope to construct right triangles was to mark a looped rope with knots so that, when held at the knots and pulled tight, the rope must

form a right triangle.

The simplest way to perform the trick is to take a rope that is 12 units long, make knot 3 units from one end and another 5 units from the other end, and then knot the ends together to form a loop. Try to make one yourself.

